Towards a Theory of Global Bank Risk Taking and Competition

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Motivation

- Banks' decision to globalize: benefits of competition versus costs of risk taking
- Local competition in retail banking:
- 1. Competition in deposits: appetite for short term funding triggers risk taking
- 2. Competition in loans' markets reduces firms' incentives toward risk-shifting (limited liability)
 - Rajan 2005: risks of finance globalization
 - IMF report 2015: cross-border lending (prior to 2007) increased risk taking, opening branches and subsidiaries reduces risk taking

Past literature

- Allen and Gale (2004) (static Cournot game): higher banks' competition (deposits)—higher risk
- Boyd and De Nicolo (2005): lower rents' extraction (reduce loan rates) mitigates firms' to risk shifting
- Models of industry dynamic: mostly firms' industry:
- 1. Hopenhayn, (1992)
- 2. Ericson and Pakes (1995)→endogenous risk choice
 - International banking: Bruno and Shin (2015)
 - Risk Taking: Angeloni and Faia (2013) and Abbate and Thaler (2015)

Our model

- A model of banking industry dynamics with foreign destination markets
- Firms choose risk endogenously: incentives to risk-shifting due to limited liability and moral hazard
- Extend a static Cournot game to include endogenous entry and monitoring costs in foreign destination markets
- Extend the static model to a dynamic context: role of expectations of future rents' extraction

Main Channels: Long Run and Short Run

- Long run adjustment (regional destination markets):
- Banks oligopsonist in deposit market: deposit rate is below perfectly competitive level
 - Banks' entrance in foreign markets raises deposit rates \rightarrow raises loan rates and firms' risk taking
- Oligopolist in loan markets: loan rates are above perfectly competitive level
 - Banks' entrance lowers loan rates→lowers firms' risk-taking (firms' risk-shifting due to limited liability)
- Second effect tends to prevail

Dynamics and Expectations

- Role of expectations of future rents' extractions
- Consider exuberant states (risk shifts out of the tails):
- Banks expects higher future profits (enter more)
- Increase banks' appetite for short-term funding
- Raise deposits (and loans) rates→firms risk-taking increases
- Expectations increase the role of competition in deposits markets

Moral Hazard in Foreign

- Monitoring costs in foreign destination markets:
- Banks' expect to lower margins (enter less)
- Lower deposit rates and loan rates
- Oiscipline device→reduce risk taking

Our model

Assessing analytically and numerically impact on entry decisions and risk taking of:

- Changes in sunk and/or monitoring costs
- Changes in aggregate shock
- Changes in dispersion of the distribution of firms' investment outcomes (through mean preserving spreads)

Firms

Choose $r_t^{I,s}$ to (where $p^s(r_t^{I,s}, a_t^s)$ raises with $r_t^{I,s}$):

$$p^s(r_t^{I,s},a_t^s)(a_t^sr_t^{I,s}-r_t^{L,s})$$

Rearranging FOC and substituting for loans and deposits demand:

$$\frac{p^{s}(r_{t}^{I,s},a_{t}^{s})a_{t}^{s}}{\frac{\partial p^{s}(r_{t}^{I,s},a_{t}^{s})}{\partial r_{t}^{I,s}}} + a_{t}^{s}r_{t}^{I,s} = r_{t}^{L,s}(\sum_{r=1}^{N_{t}^{s}}D_{r,t}^{s})$$

As loan rates raise (due to increased rent extraction) firms' incentives toward risk shifting increase, endogenously choose riskier projects.

Banks

$$\mathit{Max}_{D_t^s} p^s(r_t^{I,s}, a_t^s) \left[(1 + r_t^{L,s} (\sum_{r=1}^{N_t^s} D_{r,t}^s)) D_t^s - (1 + r_t^{D,s} (\sum_{r=1}^{N_t^s} D_{r,t}^s)) D_t^s - \xi D_t^s \right]$$

subject to:

$$E_{t}\left\{\frac{p^{s}(r_{t}^{I,s},a_{t}^{s})a_{t}^{s}}{\frac{\partial p^{s}(r_{t}^{I,s},a_{t}^{s})}{\partial r_{t}^{I,s}}} + r_{t}^{L,s}(\sum_{r=1}^{N_{t}^{s}}D_{r,t}^{s})\right\} = E_{t}\left\{a_{t}^{s}r_{t}^{I,s}(\sum_{r=1}^{N_{t}^{s}}D_{r,t}^{s})\right\}$$

and subject to loans and deposits demand.



Banks' FOC

$$0 = p^{s}(r_{t}^{I,s}, a_{t}^{s}) \left[(1 + r_{t}^{L,s}(\sum_{r=1}^{N_{t}^{s}} D_{r,t}^{s})) - (1 + r_{t}^{D,s}(\sum_{r=1}^{N_{t}^{s}} D_{r,t}^{s})) - \xi \right] +$$

$$+ p^{s}(r_{t}^{I,s}, a_{t}^{s}) \left[D_{t}^{s} \frac{\partial r_{t}^{L,s}}{\partial L_{t}^{s}} \frac{\partial L_{t}^{s}}{\partial D_{t}^{s}} - D_{t}^{s} \frac{\partial r_{t}^{D,s}}{\partial D_{t}^{s}} \right] +$$

$$+ \frac{\partial p^{s}(r_{t}^{I,s}, a_{t}^{s})}{\partial r_{t}^{I,s}} \frac{\partial r_{t}^{I,s}}{\partial D_{t}^{s}} \left[-(1 + r_{t}^{L,s}(\sum_{r=1}^{N_{t}^{s}} D_{r,t}^{s})) - \xi \right] D_{r,t}^{s}$$

Banks' Entry

$$\kappa = \left(\left[p^{s}(r_{t}^{I,s}, a_{t}^{s})((1 + r_{t}^{L,s}(\sum_{r=1}^{N_{t}^{s}} D_{r,t}^{s}))D_{t}^{s} - (1 + r_{t}^{D,s}(\sum_{r=1}^{N_{t}^{s}} D_{r,t}^{s}))D_{t}^{s} - \xi D_{t}^{s}) \right]$$

Banks' evolution:

$$N_{t+1}^s = (1-\varrho)(N_t^s + N_{e,t}^s)$$

Banks: Foreign Destination Markets

Assume monitoring costs, μ , in foreign destination market:

$$\begin{split} 0 &= p^{s}(r_{t}^{I,s}, a_{t}^{s}) \left[\begin{array}{c} (1 + r_{t}^{L,s}(N_{t}^{s}D_{r,t}^{s} + N_{t}^{s}D_{r,t}^{*,s})) \\ - (1 + r_{t}^{D,s}(N_{t}^{s}D_{r,t}^{s} + N_{t}^{s}D_{r,t}^{*,s})) - \xi - \mu \end{array} \right] + \\ &+ p^{s}(r_{t}^{I,s}, a_{t}^{s}) \left[D_{t}^{*,s} \frac{\partial r_{t}^{L,s}}{\partial L_{t}^{*,s}} \frac{\partial L_{t}^{*,s}}{\partial D_{t}^{*,s}} - D_{t}^{*,s} \frac{\partial r_{t}^{D,s}}{\partial D_{t}^{*,s}} \right] + \\ &+ \frac{\partial p^{s}(r_{t}^{I,s}, a_{t}^{s})}{\partial r_{t}^{I,s}} \frac{\partial r_{t}^{I,s}}{\partial D_{t}^{*,s}} \left[\begin{array}{c} (1 + r_{t}^{L,s}(N_{t}^{s}D_{r,t}^{s} + N_{t}^{s}D_{r,t}^{*,s}) \\ - (1 + r_{t}^{D,s}(N_{t}^{s}D_{r,t}^{s} + N_{t}^{s}D_{r,t}^{*,s})) - \xi - \mu \end{array} \right] D_{r,t}^{*,s} \end{split}$$

Banks' Entry: Foreign Destination Markets

$$V_t^{*,s} = \pi^{*,s}(\mathbf{a}_t^s, N_t^{*,s}) + eta(1-arrho) \mathcal{E}_t\left\{V_{t+1}^{*,s}
ight\}$$

where foreign profits include the monitoring costs. The entry condition:

$$V_t^{*,s} = E_t \left\{ V_{t+1}^{*,s} \right\} = \kappa$$

Banks' evolution:

$$\textit{N}_{t+1}^{s} = (1-\varrho)(\textit{N}_{t}^{s} + \textit{N}_{e,t}^{s}); \textit{N}_{t+1}^{*,s} = (1-\varrho)(\textit{N}_{t}^{*,s} + \textit{N}_{e,t}^{*,s})$$

Long run Effects of Sunk Costs

Lemma 1. Higher insurance costs, ξ , reduce the number of banks (raise deposit rates), which in turn increases risk taking:

$$\frac{d\textit{N}}{d\xi} = -\frac{\frac{\partial \left(\frac{\beta_{1}\left(1-\alpha\xi\right)^{3}}{2\alpha^{2}\left(\gamma+\beta_{1}\right)^{2}}\frac{\left(\textit{N}+1\right)^{2}}{\textit{N}\left(\textit{N}+2\right)^{3}}\right)}{\partial\xi}}{\frac{\partial \left(\frac{\beta_{1}\left(1-\alpha\xi\right)^{3}}{2\alpha^{2}\left(\gamma+\beta_{1}\right)^{2}}\frac{\left(\textit{N}+1\right)^{2}}{\textit{N}\left(\textit{N}+2\right)^{3}}\right)}{\frac{\partial \textit{N}}{\partial \textit{N}}} = -\frac{3}{2}\alpha\textit{N}\left(\textit{N}+1\right)\frac{\textit{N}+2}{\left(1-\alpha\xi\right)\left(\textit{N}+\textit{N}^{2}+1\right)} < 0$$

Long run Effects of Shifts in Projects' Distribution

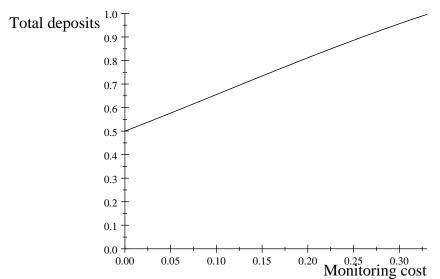
Lemma 3. An increase in the probability of projects' tail risk reduces the number of active banks, thereby reduces deposits competition and risk taking.

$$\frac{dN}{d\alpha} = -\frac{\frac{d\left(\frac{\beta_{1}(1-\alpha\xi)^{3}}{2\alpha^{2}(\gamma+\beta_{1})^{2}}\frac{(N+1)^{2}}{N(N+2)^{3}}\right)}{\frac{d\alpha}{d\alpha}}}{\frac{d\left(\frac{\beta_{1}(1-\alpha\xi)^{3}}{2\alpha^{2}(\gamma+\beta_{1})^{2}}\frac{(N+1)^{2}}{N(N+2)^{3}}\right)}{dN}} = -\frac{1}{2}\frac{(2+\alpha\xi)}{\alpha(1-\alpha\xi)}\frac{N(N+1)(N+2)}{N+N^{2}+1} < 0$$

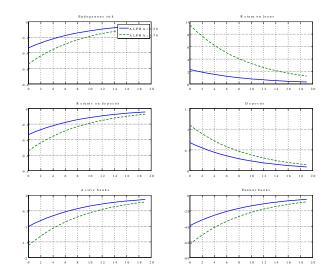
$$dp(S) \qquad \xi \qquad \beta_{1} \qquad N+1 \qquad 1-\alpha\xi \qquad \beta_{1} \qquad 1 \qquad dN < 0$$

$$\frac{dp(S)}{d\alpha} = -\frac{\xi}{2} \frac{\beta_1}{\beta_1 + \gamma} \frac{N+1}{N+2} + \frac{1-\alpha\xi}{2} \frac{\beta_1}{\beta_1 + \gamma} \frac{1}{(N+2)^2} \frac{dN}{d\alpha} < 0$$

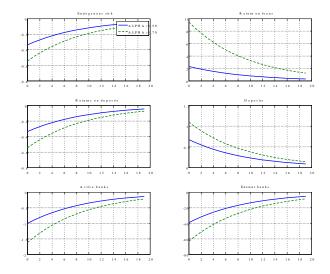
$$Z_1 = \frac{\beta_0}{\gamma + \beta_1} \frac{1 + \frac{1}{s_{11}}}{2 + \frac{1}{s_{11}}} = \frac{\beta_0}{\gamma + \beta_1} \frac{4\mu + \frac{1}{-(2\beta_0 - 3\mu) + \sqrt{(2\beta_0 - 3\mu)^2 + 8\mu(\beta_0 + 2\mu)}}}{8\mu + \frac{1}{-(2\beta_0 - 3\mu) + \sqrt{(2\beta_0 - 3\mu)^2 + 8\mu(\beta_0 + 2\mu)}}}$$



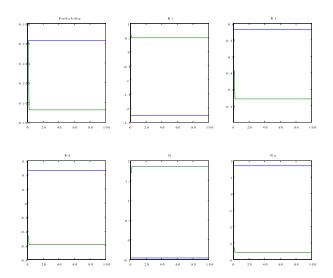
Short Run Dynamics: Increases in a



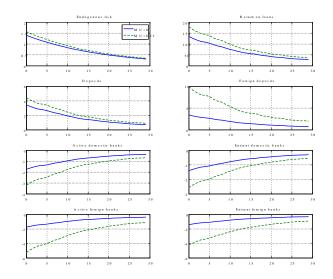
Short Run Dynamics: Increases in sunk costs



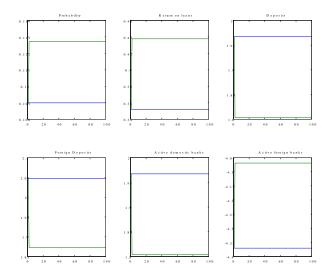
Transitional Dynamics. Risk on the Tails



Foreign Destination Markets. Increases in a



Transitional Dynamic: Risk on Tails. Foreign Market



Conclusions

- Model of banks' industry dynamic with endogenous entry decisions and endogenous risk-taking
- Assess the complex dimension of banks' globalization to risk shifts, aggregate shocks and falls in sunk costs
- Extensions:
- Search frictions in local markets to exploit sluggish dynamics
- Numerically: transitional dynamics to risky steady state
- Empirical analysis: large dataset (also historical development of global banking groups), probit estimation on determinants of banks' globalization